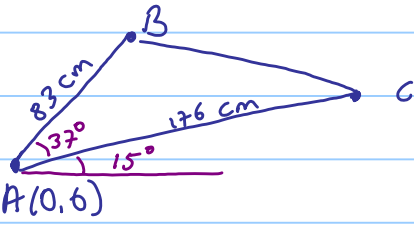


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March
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9.7 Applications of Taylor and Maclaurin Series
 Ch. 10: Vectors and Coordinate Geometry in 3-Space
 10.1 Analytic Geometry in Three Dimensions
 10.2 Vectors

- 1) Prove that $\int_0^1 \frac{\ln(1+x)}{x} dx = \sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{n^2}$ and determine how many terms should be used to approximate this sum with an error $< \frac{1}{120}$
- 2) Approximate $\int_0^1 \cos(x^3) dx$ with an error $< 5 \times 10^{-4}$
- 3) Find Maclaurin series of $\frac{1 - e^{-2x}}{x}$ & $\ln(e+x^2)$ and find their R/I.
- 4) Find the area of the triangle with vertices $P(1,1,0)$, $Q(1,0,1)$ and $R(0,1,1)$.
- 5) Suppose that $\vec{u} \cdot (\vec{v} \times \vec{w}) = 2$. Find;
- $(\vec{u} \times \vec{v}) \cdot \vec{w}$
 - $\vec{u} \cdot (\vec{w} \times \vec{v})$
 - $\vec{v} \cdot (\vec{u} \times \vec{w})$
 - $(\vec{u} \times \vec{v}) \cdot \vec{v}$
- 6)  First find coordinates of each vertex, then calculate the area of $\triangle ABC$
(4395, 657)
- 7) The point $D(3,3)$ is midpoint of one of the sides of a triangle. If two vertices are at $B(1,1)$ and $C(2,4)$, find the area of the triangle.
- 8) Find the distance between points with polar coordinates $E(3, 16^\circ)$, $F(5, 76^\circ)$
- 9) Find the projection of $\vec{a} = \langle 1, 2, 3 \rangle$ onto $\vec{b} = \langle 1, 4, 1 \rangle$
- 10) Given the points $A(1,3,7)$, $B(7,12,22)$, $C(3,5,1)$ and $D(15,20,4)$. Let X be point on $[AB]$ s.t. $\frac{|AX|}{|XB|} = \frac{1}{2}$ and Y be the point on $[CD]$ s.t. $\frac{|CY|}{|YD|} = \frac{2}{1}$. Find the midpoint of $[XY]$ $(7, \frac{21}{2}, \frac{15}{2})$
- 11) Given the points $A(4,8)$, $B(1,3)$ and $C(5,6)$, Find the length of the altitude of the triangle ABC passing through the vertex A ($\frac{11}{5}$)
- 12) Find all values of m for which the points $A(2,3)$ and $B(-3,5)$ are placed on the two different sides of the line $2x - 3y + m = 0$. ($m \in (5, 21)$).